



SDI FINAL EVALUATION FORM 1.1

PART 1:

Journal Name:	British Journal of Mathematics & Computer Science
Manuscript Number:	2013_BJMCS_3465
Title of the Manuscript:	A GENERAL INEQUALITY RELATED TO VARIATIONAL INEQUALITIES AND ITS CONSEQUENCES

PART 2:

FINAL EVALUATOR'S comments on revised paper (if any)	Authors' response to final evaluator's comments
Problem $f(x,y) \geq 0$, for all $x \in S(x)$ is not treated. Authors have considered only the problem of finding $x \in K$: $f(x,y) \geq 0$, for all $y \in K$. Unfortunately, authors have not cited the original reference to this problem which are due to Bluem and Oettli, From optimization and variational inequalities to equilibrium problems, Math. Student, 63(1994), 123-145 and M. A. Noor and W. Oettli, On general nonlinear complementarity problems and quasi-equilibria, Le Matematiche(Catania), 49(1994), 313-331. Most of the results proved in this paper follow from the results of these papers. Secondly, references [15,16,17,21,26] are irrelevant to this paper. Must be deleted. @.5-2.8 Theorems must be proved for the problem indicated in the abstract. These results may not be true for the set-valued convex sets. Before the acceptance of this papers, authors must justify the motivation of this paper and revise this paper. Acceptance of this paper is subject to major revision.	1. The problem Problem $f(x,y) \geq 0$, for all $x \in S(x)$ is treated in Theorem 5.1. 2. New references added. Please see references [8], [9] and [17]. 3. Old references [15], [16], [17] and [21] have been deleted. The old reference [26] which is now [25] can't be deleted since it contains the Theorem 2.9 of this paper used to prove our own result Theorem 3.8. (Please see Page 9, line no 382). 4. Theorems 2.5-2.8 are results from other's paper. These theorems are not supposed to be proved in this paper. Proper citations have given with each theorem. In this paper, these results are not used in proving any result associated with set-valued convex sets. 5. Many results of this paper are proved in the setting of topological vector spaces, not merely in a Banach space of in R^n, thereby more interesting. 6. Some major errors in Theorem 5.1 are detected and rectified. Some unnecessary text deleted and useful text added.