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Journal Name:	British Journal of Mathematics & Computer Science
Manuscript Number:	2013_BJMCS_6716
Title of the Manuscript:	BERNOULLI POLYNOMIALS AND CONVOLUTION SUMS
Type of the Article	Research Paper

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PART 1: Review Comments

	Reviewer's comment	Author's comment (if agreed with reviewer, correct the manuscript and highlight that part in the manuscript. It is mandatory that authors should write his/her feedback here)
Compulsory REVISION comments	This paper is worth to be published in the British Journal of Mathematics and Computer Science. The following remarks should be considered: 1- In the last paragraph on Page 1 (In 2000 Huard, Ou, Spearman and Williams ...). Here, the order of reference should be indicated and that reference should be added in the references list. 2- In equation (5) on page 3, the notations $\sigma_1(n)$ and $\sigma_0(n)$ are never defined. 3- The Faulhaber's sum on page 7 is same equation (1) on page 1, so, I think there is no $(-1)^j$ in Faulhaber's sum. 4- (See the reference: Introduction to Bernoulli and Euler polynomials, A lecture given in Taiwan on June 6, 2002 by Zhi-Wel Sun) Therefore, from Theorem 1.4. I suggest to add the following relations as Remark 1.6. Or Corollary 1.6. Using the relations: $T_k(n) = \sum_{r=0}^{n-1} (-1)^r r^k$ And $T_k(n) = \frac{E_k(0) - (-1)^n E_k(n)}{2} = 2^{k+1} S_k \left(\left[\frac{n+1}{2} \right] \right) - S_k(n),$ where $E_k(n)$ denotes to the Euler polynomials, we get the following relation related to Euler polynomials:	



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	$2^{l+1} A\left(l, \frac{n+1}{2}\right) = T_{l+1}(n) - T_l(n)$ $= \frac{E_{l+1}(0) - E_l(0) - (-1)^n (E_{l+1}(n) - E_l(n))}{2}$	
<u>Minor</u> REVISION comments	This paper is worth to be published in the British Journal of Mathematics & Computer Science and I have some comments attached in the pdf file.	
<u>Optional/General</u> comments		

Note: Anonymous Reviewer