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Journal Name:	British Journal of Mathematics & Computer Science
Manuscript Number:	2014_BJMCS_9194
Title of the Manuscript:	On the Closedness of the Convex Hull in a Locally Convex Space
Type of the Article	Short Research Article

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PART 1: Review Comments

	Reviewer's comment	Author's comment (if agreed with reviewer, correct the manuscript and highlight that part in the manuscript. It is mandatory that authors should write his/her feedback here)
Compulsory REVISION comments	1 Accepted by some changes 2 The abstract should point the key question, the methods of how solving problem, not asking and answering some questions by himself. 3 In line two (page 1) $\text{conv}(\{(x, \frac{1}{ x }) : x \in \mathbb{R}^2 \setminus \{(0,0)\}\})$ is not in $\mathbb{R}^2$ 4 If Lemma1 and 3 are not his result, please give source of them. 5 If he can give some examples about this note, the result will be better than now. 6 In this paper, the author proved: the convex hull of the union of a non-empty bounded closed convex set X and a non-empty convex set K in a l.c.s. is a cosed set. Obviously , Lemma 1, proposition 2, Lemma3 are some special examples of the Theorem. so the results and the methods will be better if the author give some results about this problem of others scholars.	2. Done! Abstract edited to take into account the reviewer's remark 3. Done! Typo corrected: $x \in \mathbb{R} \setminus \{0\}$. 4. Lemma 1 and 3 are the author's results. 5. The referee's point is well taken. The aim of this note is to put on record, in a concise and short way, a property of general interest that is not well-known. Applications of this closedness property to problems in analysis and optimization are currently in preparation in much longer papers. 6. Lemma 1 and Proposition 2 are preparatory steps to prove the main Theorem 4. As you can see, Theorem 4 is based on Proposition 2 (and on Lemma 3).



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		Proposition 2, in turn, uses Lemma 1 in a crucial way. This have been made clearer in the edited version, for the benefit of the reader.
Minor REVISION comments		Thanks to the referee for the pertinent remarks
Optional/General comments		